

Humanity's Last Exam:

What Hard Questions Teach Us About AI

Søren Riis
Queen Mary University of London

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Humanity's Last Exam in a nutshell

- ▶ **Scope:** $\approx$ 2 500 expert-vetted, closed-ended questions across 100 + subjects (41 % mathematics, 10 % computer science / AI, 9–11 % physics or biomedicine).
- ▶ **Purpose:** Built by **CAIS** + **Scale AI** to counter benchmark saturation (e.g. MMLU 90 % accuracy).
- ▶ **Evaluation:** Zero-shot, temperature 0; exact-match scoring; tracks **calibration error** (confidence vs correctness).
- ▶ **Composition:** Public set + private hold-out; 14 % items are **multimodal** (with figures or diagrams).
- ▶ **Human baseline:** 90 % accuracy $\rightarrow$ current LLMs (25 %) still far behind.

HLE at a glance — visuals

Humanity's Last Exam

Organizing Team

Leng Phan^{1*}, Alice Gatt^{1*}, Zhen Han^{2*}, Nathaniel Li^{1*},

Josephine Hu³, Hugh Zhang³, Chen Bo Calvin Zhang³, Mohamed Shaaban³, John Ling³, Sean Shi³, Michael Choi³,
Anish Agrawal³, Arnav Chopra³, Adara Khoja³, Ryan Kim³, Richard Ren³, Jaume Haneaey³, Oliver Zhang³, Mantia
Mazeika¹,

Shenwei Yue^{1,2}, Aleksandr Wang^{1,2}, Dan Hendrycks^{1,2}

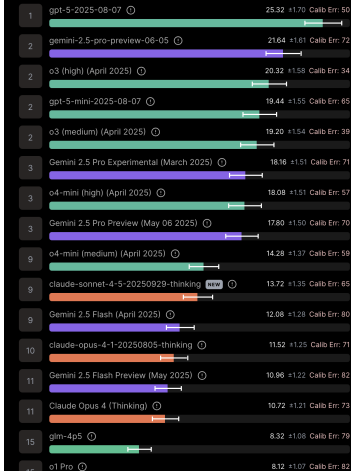
¹ Center for AI Safety, ² Scale AI

Dataset Contributors

Dmitry Dudonov, Tung Nguyen, Jaeho Lee, Daron Anderson, Mikhail Doroshenko, Alan Cerny Stokes, Mohsen
Mahmoud, Oskoude Pakrati, Oleg Iden, Jessica P. Wang, John Clark Lewis, Mityslav Karanov, Flora Feng, Steven
Y. Feng, Haoran Zhao, Michael Yu, Varun Gangal, Chelsea Zou, Zihan Wang, Sargun Pope, Robert Gerbice, Geoff
Galgano, Johannes Schreier, Will Yeador, Yongliu Lee, Scott Savaris, Alvaro Sanchez, Fabian Gula, **Marc Robb Senn**,
Kim, Sateja Uppala, Noah Burns, Gushaw M. Goshaw, Mohinder Maheshbhai Nijay, Chikotie Agu, Zachary Gibney,
Amitel Chekron, Francesco Ivannieri-Pucin, Sarah-Jane Cronson, Lennart Finkbe, Zheni Cheng, Jennifer Zampone, Ryan
G. Hosse, Mark Nander, Hyunwoo Park, Tim Gollmerer, Jaap Cal, Ben McCarty, Alexis C. Garmon, Edwin Taylor,
Dante Sileo, Qiyao Ren, Usman Qazi, Lianghui Li, Juegho Nam, John B. Wydlisiz, Pavel Arkhipov, Jack Wei Lun

Paper cover
arXiv:2501.14249

Performance Comparison



Classics

Question:

Answer:

Mathematics

Question: The set of natural transformations between two functors $F, G: C \rightarrow D$ can be expressed as the end
$$\text{Nat}(F, G) \cong \int_A \text{Hom}_D(F(A), G(A)).$$

Define the set of natural cotransformations from F to G to be the coend
$$\text{CoNat}(F, G) \cong \int^A \text{Hom}_D(F(A), G(A)).$$

Let $\mathcal{F} = R_0(\mathbb{Z}_2)$ be the order n -category of the nerve of the delooping of the symmetric group Σ_n on n letters under the unique 0-simplex $\ast \in R_0(\mathbb{Z}_2)$.

Let $\mathcal{G} = R_0(\mathbb{Z}_2)$ be the order n -category nerve of the delooping of the symmetric group Σ_n on n letters under the unique 0-simplex $\ast \in R_0(\mathbb{Z}_2)$.

How many natural cotransformations are there between $\mathcal{F}$ and $\mathcal{G}$?

Answer:

Computer Science

Question: Let G be a graph. An edge-indicator of G is a function $\alpha: E(G) \rightarrow \{0, 1\}$ such that $\{\alpha(e) : e \in E(G)\} \subseteq E(G)$.

Consider the following Markov Chain $M = M(G)$. The statespace of M is the set of all edge indicators of G , and the transitions are defined as follows:

Assume $\beta \leftarrow \alpha$.

- pick $e \in E(G)$ at random.
- pick $v \in N(e) \setminus \{u\}$ at random (here $N(v)$ denotes the open neighborhood of v).
- set $\beta(e) \leftarrow \alpha(v)$ and $\beta(v) \leftarrow \alpha(v)$.

Set $M_{t+1} \leftarrow \beta$.

We call a class of graphs $\mathcal{G}$ well-behaved if, for each $G \in \mathcal{G}$ the Markov chain $M(G)$ converges to a unique stationary distribution, and the unique stationary distribution is the uniform distribution.

Which of the following graph classes is well-behaved?

Answer Choices:

- The class of all non-bipartite regular graphs.
- The class of all connected cubic graphs.
- The class of all connected graphs.
- The class of all connected non-bipartite graphs.
- The class of all connected bipartite graphs.

Answer:

Multimodal items
14% include figures/diagrams

Official leaderboard

Scale SEAL board

The Humanity's Last Exam Competition

How the challenge worked

- ▶ Each contributor submitted one or more original questions with **unique, verifiable answers**.
- ▶ The questions were first tested by three frontier AI models under strict zero-shot conditions.
- ▶ If **all three models failed**, the problem advanced to a second tier where three even stronger models attempted it.
- ▶ A question qualified only if **all six models** failed to solve it correctly.
- ▶ Authors then wrote detailed, human-readable **solutions and explanations**, which were reviewed by human referees who graded each question on a 1–5 scale for clarity, originality, and difficulty.
- ▶ Questions receiving marks of **4 or 5** progressed to the final prize round.

Outcome

- ▶ Around 20 of my questions reached the top group.
- ▶ My colleague **Marc Roth** and I won several smaller prizes, and **each received a \$5,000 top prize** for one of our own submissions.
- ▶ My winning problem was notable for combining **multi-modal visual reasoning, mathematical logic** across domains, and a requirement that the AI **write a programme** to obtain the correct answer.

State of the Art: How Good Are the Best AI Models?

Rapid progress at the frontier

- ▶ Top language models such as **GPT-5**, **Gemini 2.5**, and **Claude 4.5** have reached **Gold Medal level** in international mathematics competitions such as the IMO and AIME.
- ▶ These systems can now solve complex olympiad-style problems, translate natural-language reasoning into formal mathematics, and write high-quality proofs when guided step by step.

Remaining challenges

- ▶ Even the best models still **struggle with research-level mathematics**: open-ended conjectures, abstract definitions, or proofs requiring deep insight.
- ▶ They often fail when reasoning spans multiple domains or when the problem involves diagrams, geometry, or code generation.

Why my submitted problems cannot be shared

- ▶ The full text and solutions of my HLE problems remain **confidential**, as publishing them would risk contamination of future evaluations.

Example 1 – Easy for top LLMs: the Fibonacci pitfall

Python code

```
def testFunction(n):  
    if n == 0:  
        return 0  
    elif n == 1:  
        return 1  
    return testFunction(n - 1) + testFunction(n - 2)
```

Task: Compute `testFunction(100)`.

Observation:

- ▶ Naive recursion has exponential running time – it would take more than 10,000,000 years, even on a fast computer.
- ▶ Models such as Gemini, Claude, and ChatGPT Pro immediately recognise The Fibonacci pattern and create programs that solve problems in less than a millisecond.

Example 2 – Easy for top LLMs: Distinct cubes cover

Question:

*What is the smallest integer N such that every integer $n \geq N$ can be written as a sum of **distinct cube numbers**?*

Reasoning:

- ▶ Models recognise that this relates to an integer sequence describing numbers *not* representable as sums of distinct cubes.
- ▶ They consult (or recall) the **OEIS** – the Online Encyclopedia of Integer Sequences.
- ▶ Sequence **A001476** lists the numbers that cannot be expressed as a sum of distinct positive cubes.
- ▶ There are exactly 2,788 such numbers; the largest is 12,758.

Answer: $N = 12,759$.

Example 3 – Borderline-difficulty Chess copycat problem

Problem statement

Starting from the standard initial chess position:

Black copies White's moves exactly, using the same piece type and the mirrored square across the vertical axis.

*Find the **shortest possible game** in which White delivers checkmate under this copy rule.*

Observation

- ▶ The puzzle requires reasoning about board symmetry and forced responses. The Scholar's mate does not work!
- ▶ **Gemini 2.5** can now solve this puzzle reliably and returns the minimal mate sequence.
- ▶ **ChatGPT Pro (GPT-5)** and **Claude 4.5 Sonnet** still fail or produce inconsistent move sequences.
- ▶ Demonstrates how small geometric constraints expose weaknesses in spatial and strategic reasoning.

Condorcet Domains and NIM – Reasoning at the Edge (1)

Condorcet Domains (with Bei Zhou)

- ▶ *A Heuristic Search Algorithm for Discovering Large Condorcet Domains* (arXiv: 2303.06524); record-breaking domains for $n = 10$ and $n = 11$.
- ▶ Published version in *4OR* (2025).
- ▶ Explores coherent, peak-pit, and bipartite families with improved lower bounds.
- ▶ Using an **AI-inspired search algorithm** running on a high-performance super-cluster, we recently **solved a 30-year-old open problem** in this area, establishing new lower bounds for large Condorcet domains.

Large combinatorial search problems as testbeds for AI-driven discovery.

Condorcet Domains, NIM, and Term Coding – Reasoning at the Edge (2)

NIM and Impartial Games

- ▶ *Impartial Games: A Challenge for Reinforcement Learning* (Riis and Zhou, arXiv: 2205.12787).
- ▶ *Mastering NIM and Impartial Games with Weak Neural Networks* (Riis, arXiv: 2411.06403).
- ▶ Shows that AlphaZero-style reinforcement learning **struggles** on impartial games such as NIM.
- ▶ Within **Computational Complexity Theory**, both positive and negative results matter: for some classes of neural networks it can be shown that NIM and, more generally, impartial games **cannot be learnt** using these architectures.

Term Coding (test ground for AI reasoning)

- ▶ *Term Coding for Extremal Combinatorics* (Riis, arXiv: 2504.16265): encodes extremal problems as finite systems of term equations (with optional non-equality constraints).
- ▶ Unifies perspectives from extremal combinatorics, network/index coding, and finite model theory, yielding crisp optimisation and search tasks – an **excellent test ground for AI reasoning**.
- ▶ Includes a **striking theoretical result**: certain decision problems **cannot be solved by any algorithm** (including AI systems), yet a minimal weakening makes them **solvable in polynomial time**.

Connects combinatorial structure, algorithmic search, and reasoning limits.

Take-away and Q&A

Main lessons

- ▶ **Humanity's Last Exam (HLE)** exposes a large reasoning gap: top AI models reach about 25% accuracy, while **human domain experts** reach around 90%.
- ▶ Frontier models excel at recognising patterns and recalling known facts, but still fail on deep, multi-step reasoning and on tasks requiring logical self-consistency or spatial understanding.
- ▶ Benchmarks such as HLE, together with theoretical frameworks from our work on **Condorcet Domains**, **NIM**, **Impartial Games**, and **Term Coding**, provide concrete testbeds for analysing the boundaries of algorithmic reasoning.

Thank you!

Søren Riis – s.riis@qmul.ac.uk